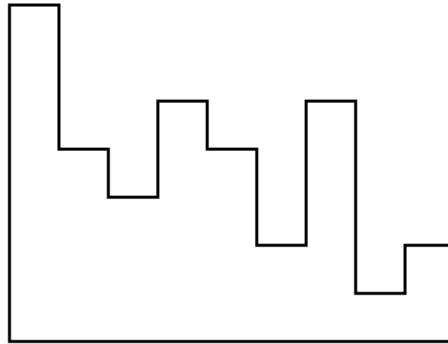


---

## Problem A. Histogram Sequence

Input file:            **standard input**  
Output file:           **standard output**  
Time limit:            **2 seconds**  
Memory limit:         **1024 megabytes**

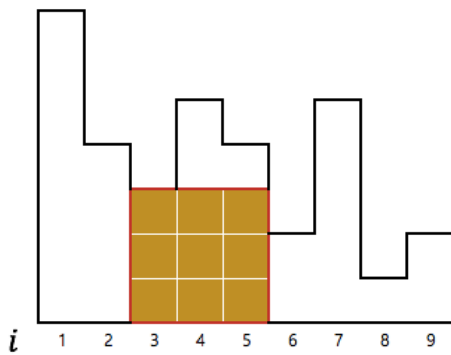
A histogram is a polygon made by aligning  $N$  adjacent rectangles that share a common base line. Each rectangle is called a *bar*. The  $i$ -th bar from the left has width 1 and height  $H_i$ .



*Figure: This picture depicts a case when  $N = 9$  and  $H = [7, 4, 3, 5, 4, 2, 5, 1, 2]$ .*

One day, you wanted to find the area of the largest rectangle contained in the given histogram. What you did was to make a list of integers  $A$  by the following procedure:

- For each  $1 \leq i \leq j \leq N$ , calculate the largest area of the rectangle contained in the histogram, where the rectangle's base line coincides with the base line of the  $i, i + 1, \dots, j - 1, j$ -th bar. Add the area to the list  $A$ .



*Figure: This picture depicts a case when  $i = 3$  and  $j = 5$ . The area is 9.*

The length of the list  $A$  is exactly  $\frac{N(N+1)}{2}$  since you chose each pair  $(i, j)$  exactly once. To make your life easier, you sorted the list  $A$  in non-decreasing order. Now, to find the largest area of the rectangle contained in the histogram, you just need to read the last element of  $A$ ,  $A_{N(N+1)/2}$ .

However, you are not satisfied with this at all, so I decided to let you compute some part of the list  $A$ . You have to write a program that, given two indices  $L$  and  $R$  ( $L \leq R$ ), calculate the values  $A_{L..R}$ , i.e.  $A_L, A_{L+1}, \dots, A_{R-1}, A_R$ .

### Input

The first line of the input contains an integer  $N$  ( $1 \leq N \leq 300\,000$ ) which is the number of bars in the histogram.

The next line contains  $N$  space-separated positive integers  $H_1, H_2, \dots, H_N$  ( $1 \leq H_i \leq 10^9$ ), where  $H_i$  is the height of the  $i$ -th bar.

---

The last line contains two integers  $L$  and  $R$  ( $1 \leq L \leq R \leq \frac{N(N+1)}{2}$ ,  $R - L + 1 \leq 300\,000$ ).

## Output

Print  $R - L + 1$  integers. The  $j$ -th ( $1 \leq j \leq R - L + 1$ ) of them should be the  $(L + j - 1)$ -th element of the list  $A$ , i.e.  $A_{L+j-1}$ .

## Example

standard input	standard output
9	12 12 14 15
7 4 3 5 4 2 5 1 2	
42 45	