

Problem D. Decomposition

Input file: standard input
Output file: standard output
Time limit: 5 seconds
Memory limit: 256 megabytes

You are given a graph P with n vertices and m edges. You should decompose it to cartesian product of some graph Q and boolean cube graph with **maximal power** k .

Graph of boolean cube of power k is a graph with 2^k vertices numerated from 0 to $2^k - 1$. Two vertices are adjacent if and only if their binary representations (with leading zeros) differ in exactly one position.

Cartesian product $G \square H$ of graphs G and H is a graph such that

1. the vertex set of $G \square H$ is the Cartesian product of sets $V(G) \times V(H)$
2. any two vertices (u, u') and (v, v') are adjacent in $G \square H$ if and only if either
 - $u = v$ and u' is adjacent with v' in H , or
 - $u' = v'$ and u is adjacent with v in G .

Input

First line contains 2 integers n, m ($1 \leq n \leq 2 \cdot 10^5, 0 \leq m \leq 2 \cdot 10^5$) — the number of vertices and the number of edges in the graph P .

Each of next m lines contains 2 integers a_i, b_i ($1 \leq a_i, b_i \leq n, a_i \neq b_i$), describing i -th edge.

It's guaranteed that there is at most one edge between any pair of vertices.

Output

First line should contains one integer k .

If $k > 0$ then output another n lines. i -th of them should contain one integer $1 \leq c_i \leq \frac{n}{2^k}$ and a k -bit string, denoting the vertex number in graph Q and description of boolean cube vertex which was used to product i -th vertex of graph P .

In other words, you should describe the bijection between the vertices of the input graph and pairs (u, v) where u is the vertex of the graph Q and v is the vertex of the boolean cube graph.

Examples

standard input	standard output
4 4 1 3 3 2 2 4 4 1	2 1 00 1 11 1 01 1 10
6 9 1 4 2 5 3 6 1 2 1 3 2 3 4 6 5 6 4 5	1 1 0 3 0 2 0 1 1 3 1 2 1
3 3 1 2 2 3 1 3	0

Note

In mathematics, a Cartesian product is a mathematical operation which returns a set (or product set or simply product) from multiple sets. That is, for sets A and B , the Cartesian product $A \times B$ is the set of all ordered pairs (a, b) where $a \in A$ and $b \in B$. (Wikipedia)