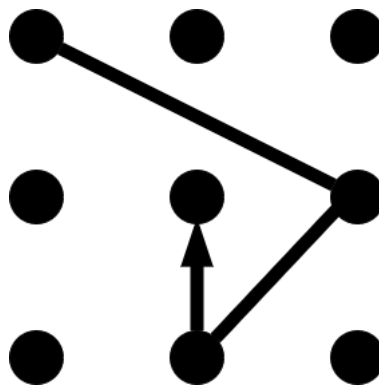


# Pattern Lock

Input file:            standard input  
Output file:          standard output  
Time limit:           1 second  
Memory limit:        256 megabytes

Usually, smartphones can be locked by either a password, fingerprint sensing, or facial recognition. There's also another commonly used method: *Pattern Lock*.

*Pattern Lock* allows you to lock and unlock your device by drawing a pattern onto the screen. The pattern is drawn by connecting a series of dots on a grid by a polygonal path. The grid of dots on the lock screen has  $n$  rows and  $m$  columns. The rows have equal spacing between each other, and so do the columns. We denote the dots in the  $x$ -th row and  $y$ -th column by  $(x, y)$ . And we use a sequence of dots to denote the pattern, i.e. the polygonal path. For example, the sequence  $\{(1, 1), (2, 3), (3, 2), (2, 2)\}$  can denote the pattern shown in the picture below.



Let's denote a pattern with  $k$  dots as  $\{A_1, A_2, \dots, A_k\}$ . A valid pattern to lock a smartphone should meet the following conditions:

- Each dot is visited no more than once. That is, for each  $1 \leq i < j \leq k$ ,  $A_i \neq A_j$ .
- For each  $1 \leq i < k$ , the segment connecting  $A_i$  and  $A_{i+1}$  cannot pass through other dots. For example,  $A_i = (1, 1), A_{i+1} = (3, 3)$  is invalid because the segment passes through  $(2, 2)$ .

Little Rabbit wants his smartphone to be as secure as possible. Therefore, he needs a **strong pattern** to lock his device. A **strong pattern** is a valid pattern that meets some extra conditions:

- Each dot is visited exactly once. That is,  $k = n \times m$ .
- For each  $1 < i < k$ , the angle formed by segment  $A_i A_{i-1}$  and segment  $A_i A_{i+1}$  must be an acute angle (less than  $90^\circ$ ).

Can you construct a **strong pattern** for him?

## Input

The input contains two integers  $n$  and  $m$  ( $2 \leq n, m \leq 500$ ), representing the number of rows and columns of the grid.

## Output

Output  $n \times m$  lines. The  $i$ -th line contains two integers  $x_i$  and  $y_i$  ( $1 \leq x_i \leq n, 1 \leq y_i \leq m$ ), representing the  $i$ -th dot of the pattern is  $(x_i, y_i)$ .

It can be proved that the answer always exists. If there are multiple answers, output any.

## Example

standard input	standard output
2 2	1 1 2 1 1 2 2 2

## Note

Please note that if the length or format of your output does not match the answer, you will possibly get a Presentation Error verdict.